

ARTICLE 57

The Rows of Yods in the Tetractys Sectors of the First Four Enfolded Polygons of the Inner Tree of Life Have 496 Permutations

by

Stephen M. Phillips

Flat 3, 32 Surrey Road South. Bournemouth. Dorset BH4 9BP. England.

Website: <http://smphillips.mysite.com>

Abstract

According to the Tetrad Principle formulated in Article 1, the first four regular polygons constitute a holistic system. Confirmation of this is provided by the fact that the properties of this geometrical system are analogous to those of well-known sacred geometries revered in various religions. As such, they are prescribed by the gematria number values of the Godnames assigned in Jewish Kabbalah to the ten Sephiroth of the Tree of Life. One of the parameters characteristic of holistic systems is the number 496, which was found in 1984 to determine the two possible symmetry groups of the forces between superstrings, namely, $SO(32)$ and $E_8 \times E_8$. The following question arises: given that the first four enfolded polygons must embody this number in some way, do they embody it in a manner that is compatible with only one of the two groups? If so, it would imply that sacred geometries pick out only one type of superstring as the basic particles making up the physical universe. Other articles have accumulated considerable evidence indicating that sacred geometries favour $E_8 \times E_8$ over $SO(32)$. This article confirms this conclusion by showing that, constructed from tetractyses, the first four enfolded polygons have 17 rows of yods with 496 permutations, of which 248 belong solely to the first three enfolded polygons and 248 are shared by all four polygons, where 248 is the dimension of E_8 .

Table 1. Gematria number values of the ten Sephiroth in the four Worlds.

	SEPHIRAH	GODNAME	ARCHANGEL	ORDER OF ANGELS	MUNDANE CHAKRA
1	Kether (Crown) 620	EHYEH (I am) 21	Metatron (Angel of the Presence) 314	Chaioth ha Qadesh (Holy Living Creatures) 833	Rashith ha Gilgalim First Swirlings. (Primum Mobile) 636
2	Chokmah (Wisdom) 73	YAHWEH, YAH (The Lord) 26, 15	Raziel (Herald of the Deity) 248	Auphanim (Wheels) 187	Masloth (The Sphere of the Zodiac) 140
3	Binah (Understanding) 67	ELOHIM (God in multiplicity) 50	Tzaphkiel (Contemplation of God) 311	Aralim (Thrones) 282	Shabathai Rest. (Saturn) 317
	Daath (Knowledge) 474				
4	Chesed (Mercy) 72	EL (God) 31	Tzadkiel (Benevolence of God) 62	Chasmalim (Shining Ones) 428	Tzadekh Righteousness. (Jupiter) 194
5	Geburah (Severity) 216	ELOHA (The Almighty) 36	Samael (Severity of God) 131	Seraphim (Fiery Serpents) 630	Madim Vehement Strength. (Mars) 95
6	Tiphareth (Beauty) 1081	YAHWEH ELOHIM (God the Creator) 76	Michael (Like unto God) 101	Malachim (Kings) 140	Shemesh The Solar Light. (Sun) 640
7	Netzach (Victory) 148	YAHWEH SABAOTH (Lord of Hosts) 129	Haniel (Grace of God) 97	Tarshishim or Elohim 1260	Nogah Glittering Splendour. (Venus) 64
8	Hod (Glory) 15	ELOHIM SABAOTH (God of Hosts) 153	Raphael (Divine Physician) 311	Beni Elohim (Sons of God) 112	Kokab The Stellar Light. (Mercury) 48
9	Yesod (Foundation) 80	SHADDAI EL CHAI (Almighty Living God) 49, 363	Gabriel (Strong Man of God) 246	Cherubim (The Strong) 272	Levanah The Lunar Flame. (Moon) 87
10	Malkuth (Kingdom) 496	ADONAI MELEKH (The Lord and King) 65, 155	Sandalphon (Manifest Messiah) 280	Ashim (Souls of Fire) 351	Cholem Yesodoth The Breaker of the Foundations. The Elements. (Earth) 168

(All numbers in this table that the article refers to are written in **boldface**).

The Sephiroth exist in the four Worlds of Atziluth, Beriah, Yetzirah and Assiyah. Corresponding to them are the Godnames, Archangels, Order of Angels and Mundane Chakras (their physical manifestation, traditionally symbolised by celestial bodies). This table gives their number values obtained by the ancient practice of gematria, wherein a number is assigned to each letter of the alphabet, thereby giving to a word a number value that is the sum of the numbers of its letters.

1. 496 permutations of rows in tetractyses of 1st 4 enfolded polygons

The four rows of 1, 2, 3 & 4 yods in a tetractys have, respectively, (1! = 1) permutations, (2! = 2) permutations, (3! = 6) permutations & (4! = 24) permutations (Fig. 1). The three lowest rows have (2+6+24=32) permutations (see also here). This means that 10 objects can be arranged in (1!x2!x3!x4! =

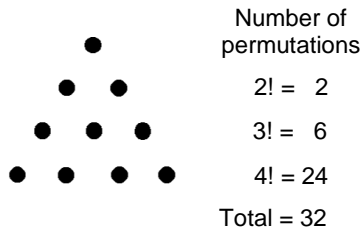


Figure 1. The 2, 3 & 4 yods in the 2nd, 3rd & 4th rows of the tetractys have 2, 6 & 24 permutations.

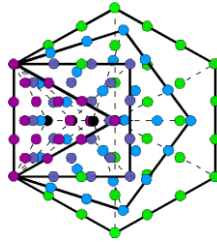


Figure 2. The first 4 enfolded polygons have 17 tetractyses with 94 yods. 90 yods are either outside their shared root edge or surround their centres (denoted as black yods, apart from the centre of the hexagon, which coincides with a corner of the triangle).

288) different tetractyses, where $288 = 1^1 + 2^2 + 3^3 + 4^4$. When their 17 sectors are tetractyses, the first four enfolded polygons have 94 yods, that is, 90 yods lie outside their shared root edge (Fig. 2). The individual yod populations of these polygons conform to the pattern of integers in the Lambda Tetractys [1], so that they constitute a *holistic* system. An n-gon with n tetractys sectors has 6n yods surrounding its centre. They are arranged in 3n rows that have 32n permutations. The n sides of the n-gon have 24n permutations and its 2n second & third rows have 8n permutations. Tabulated below are the numbers of permutations of yods in the root edge and in the **48** rows of the 17 tetractyses in the first four enfolded polygons:

Table 2. Number of permutations of rows in the 17 tetractyses of the first four enfolded polygons.

Polygon	Number of permutations on sides	Number of permutations of 2nd & 3rd rows	Total
Root edge	24x1 = 24	-	24
Triangle	24x2 = 48	8x3 = 24	72
Square	24x3 = 72	8x4 = 32	104
Pentagon	24x4 = 96	8x5 = 40	136
Subtotal	240	96	336
Hexagon	24x5 = 120	8x5 = 40	160
Total	360	136	496

Their **49** rows of yods have **496** permutations. Remarkably, this is both the number value of Malkuth, the last Sephirah of the Tree of Life:

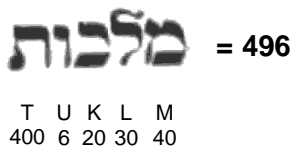


Figure 3. The gematria number value of Malkuth is **496**.

and the dimension of $SO(32)$ and $E_8 \times E_8$, the two symmetry groups that generate interactions between superstrings that are free of quantum anomalies [2]. As each permutation of two, three & four yods has its mirror-image counterpart, the **496** permutations consist of **248** permutations and their **248** mirror-images, where **248** is the dimension of E_8 . However, the *actual* division of the **496** permutations into two sets of **248** permutations may be more subtle than this, and we must analyse the contribution of each polygon in more detail. The first four enfolded polygons have **49** rows of yods with **496** permutations, showing how EL ChAI, the Godname of Yesod with number value **49**, prescribes this number at the heart of superstring theory. In fact, EL ChAI prescribes the first (4+4) enfolded polygons because, when they are all Type B polygons, they possess 490 (=49x10) yods (Fig. 4). The transformation Type A → Type B adds **153** yods to each set of four polygons, where **153** is the number value of ELOHIM SABAOTH, the Godname of Hod.

Table 2 indicates that the first three enfolded polygons have 240 permutations of the yods on their 10

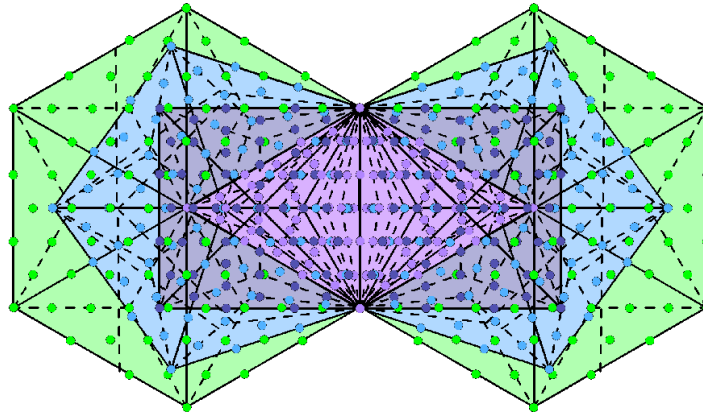
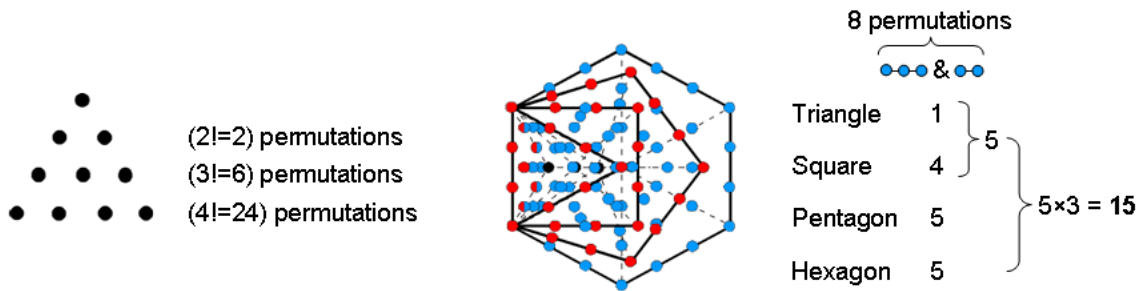


Figure 4. The first (4+4) enfolded Type B polygons contain 490 yods.

sides (24 permutations per side) and 96 permutations of their 24 second & third rows — a total of 336 permutations. This chance-defying conjunction of the superstring structural parameter 336 (the number of circular turns in each revolution of a helical whorl of the UPA) and the superstring dynamical parameters 240 & **496** is amazing. *It constitutes powerful evidence for the UPA paranormally described by Annie Besant & C.W. Leadbeater being a superstring.* This is confirmed by the fact that the 14 sides of the first four enfolded polygons outside their shared root edge with 24 permutations of its four yods also have 336 permutations, so that:

$$24 + 336 + 136 = \mathbf{496}.$$

The seven sides of the square & pentagon outside the root edge have (**72+96=168**) permutations and the seven sides of the triangle & hexagon outside the root edge have (**48+120=168**) permutations. The geometry of the first four enfolded polygons *naturally* allows the division $336 = \mathbf{168} + \mathbf{168}$ that is characteristic of holistic systems [3]. Its counterpart in the superstring is the 336 turns in a complete revolution of a helical whorl of the UPA and the **168** turns in a half-revolution (scroll down the left-hand column of the table in ref. 4). Alternatively, the three sides of the triangle have **72** permutations and the seven sides of the square & pentagon have **168** permutations. The **72:168** division of the 240



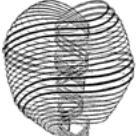
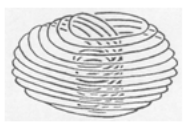
	$\bullet\bullet\bullet \& \bullet\bullet\bullet \rightarrow 8$ simple roots of E_8 $10 \bullet\bullet\bullet\bullet \rightarrow 240$ roots of E_8	$\bullet\bullet\bullet\bullet \& \bullet\bullet\bullet \rightarrow 8$ simple roots of E_8 $5 \bullet\bullet\bullet\bullet\bullet \& 15 (\bullet\bullet\bullet\bullet \& \bullet\bullet\bullet) \rightarrow 240$ roots of E_8
Number of permutations	$10 \times 24 = 240$	$5 \times 24 + 5 \times 3 \times 8 = 5 \times (24 + 24) = 5 \times 48 = 240$
Remote-viewed basic particles of matter	Each of the 10 whorls of the ordinary matter superstring carry 24 E_8 gauge charges  <i>(from Occult Chemistry (3rd ed.)</i>	Each of the 5 whorls of the shadow matter superstring carry 48 E_8 gauge charges  <i>(from private correspondence)</i>

Figure 5. The (**248+248**) permutations of the **49** rows of yods in the 17 tetractys sectors of the first 4 enfolded polygons correspond to the (**248+248**) roots of $E_8 \times E_8$.

permutations of the sides of the triangle, square & pentagon is a division that is characteristic of the parameter 240 embodied in all holistic systems, corresponding to the **72** roots of E_6 , the rank-6 exceptional subgroup of E_8 , and the **168** other roots of E_8 . Given this remarkable correspondence between the **496** roots of $E_8 \times E_8$ and the **496** permutations of the **49** rows of yods in the first four enfolded polygons, the question arises: what eight permutations are the counterpart of the eight simple roots of each E_8 ? If no natural counterparts exist in the geometry of the first four enfolded polygons, this would be evidence favouring $SO(32)$ over $E_8 \times E_8$. However, analysis in previous articles of other sacred geometries have certainly demonstrate their embodiment of the latter symmetry group, and so we should expect the geometry of the first four enfolded polygons to be able to generate these (8+8) permutations. Perhaps, however, one set of polygons corresponds to $E_8 \times E_8$ and its mirror image in the other half of the inner Tree of Life corresponds to $SO(32)$? Given that each side of a polygon generates 24 permutations of their four yods and that the second & third rows of yods in each tetractys generate eight permutations, it seems reasonable to infer that the eight simple roots in one E_8 correspond to the eight permutations in the second & third rows in one of the 17 tetractyses and that the eight simple roots in the other E_8 correspond to the eight permutations in the second & third rows in another tetractys. This leaves 120 permutations in the second & third rows of the remaining **15** tetractyses ($120=8 \times 15$), as well as the ($5 \times 24=120$) permutations of the yods in the five sides of the hexagon outside the root edge, making a total of 240 permutations. The two tetractyses should, intuitively speaking, be expected to belong to the simplest polygon — the triangle — because the simple roots of a Lie group are the most basic ones. The former 120 permutations comprise the eight permutations in the second & third rows of the third tetractys in the triangle and the **112** permutations of the second & third rows in the square, pentagon & hexagon (see table). The division: $240 = 112 + 8 + 120 = 112 + 128$ has its group counterpart in E_8 , as now explained. The E_8 root system is a rank 8 root system containing 240 root vectors spanning \mathbf{R}^8 . It is irreducible in the sense that it cannot be built from root systems of smaller rank. All the root vectors in E_8 have the same length. It is convenient for a number of purposes to normalize them to have length $\sqrt{2}$. In the so-called *even coordinate system* E_8 is given as the set of all vectors in \mathbf{R}^8 with length squared equal to 2 such that coordinates are either all integers or all half-integers and the sum of the coordinates is even. Explicitly, there are **112** roots with integer entries obtained from

$$(\pm 1, \pm 1, 0, 0, 0, 0, 0, 0)$$

by taking an arbitrary combination of signs and an arbitrary permutation of coordinates, and 128 roots with half-integer entries obtained from

$$(\pm \frac{1}{2}, \pm \frac{1}{2}, \pm \frac{1}{2}, \pm \frac{1}{2}, \pm \frac{1}{2}, \pm \frac{1}{2}, \pm \frac{1}{2}, \pm \frac{1}{2})$$

by taking an even number of minus signs (or, equivalently, requiring that the sum of all the eight coordinates be even). There are 240 roots in all.

The 28 red yods lining the 10 sides of the triangle, square & pentagon with black yods at their centres form 10 sets of 24 permutations of four yods corresponding to the 240 roots of E_8 . The tetractys sector with the root edge as its base has a row of two red yods and a row of three red yods (those yods shared with the two other sectors of the triangle are shown as half red and half blue). These two rows have eight permutations that correspond to the eight simple roots of E_8 . Hence, 12 rows of red yods have **248** permutations. The five sides of the hexagon outside the root edge have 14 blue yods and two red yods. They form five sets of 24 permutations of four yods, i.e., 120 permutations. One of the two remaining tetractys sectors in the triangle has two rows with eight permutations; they correspond to the eight simple roots of the second E_8 group. The pair of rows in the other sector of the triangle, the four pairs of rows in the square, the five pairs of rows in the pentagon and the five pairs of rows in the hexagon constitute **15** pairs of rows of yods with ($15 \times 8=120$) permutations. The number of permutations of the ($5+2+2+8+10+10=37$) rows of blue yods = $120 + 8 + 120 = 248$.

2. Superstrings are either 10-fold or 5-fold

Four rows have 16 permutations corresponding to the 16 simple roots of the two similar E_8 groups and 45 rows have 480 permutations corresponding to their 480 roots. The 10 sides of the first three enfolded polygons generate 240 permutations of red yods (24 per side). There remain five sides of the hexagon and three sets of five pairs of rows, i.e., 35 rows of blue yods, with 240 permutations. They create five sets of seven rows (one side with 24 permutations & three pairs of rows with ($3 \times 8=24$) permutations. In other words, the 240 roots in one E_8 correspond to 10 sets of 24 permutations and the 240 roots in the other E_8 correspond to five sets of ($24+24=48$) permutations. Article 53 [5] demonstrates the 10-fold division of the holistic parameter 240 embodied in five sacred geometries. It manifests in the subquark state of the $E_8 \times E_8$ heterotic superstring paranormally described over a century ago by Annie Besant & C.W. Leadbeater as the 10 whorls of their UPA. 24 gauge charges of E_8 are spread along each whorl. It was shown in ref. 6 that the seven separate Type B polygons of the inner Tree of Life are composed of

240 geometrical elements surrounding the centres of the triangle, square, pentagon & dodecagon and 240 geometrical elements surrounding the centres of the hexagon, octagon & decagon. The former polygons form 10 sets of 24 elements and the latter polygons form five sets of **48**. It was proposed in ref. 6 that the former correspond to the 10 whorls of the UPA and that the latter correspond to the five whorls reported by another remote viewer (private communication) to make up the superstring of shadow matter whose forces are described by the second E_8 group. We now find support for this interpretation in the five-fold pattern of distribution of the 240 permutations of the 37 rows of blue yods. The 10 sides of the triangle, square & pentagon determine the 10 whorls of the superstring of ordinary matter and the five sides of the hexagon outside the root edge, the five sectors of the pentagon and the five remaining sectors of the square & triangle determine the five whorls of the superstring of shadow matter.

There are 360 permutations of the yods in the **15** sides and 136 permutations of the 34 second & third rows. **496** is the **31st** triangular number:

$$1 + 2 + 3 + \dots + 31 = 496,$$

and 136 is the 16th triangular number:

$$1 + 2 + 3 + \dots + 16 = 136.$$

A pentagon whose five sectors are tetractyses contains **31** yods. 30 yods surround its centre. **31** is the number value of EL (\aleph), the Godname of Chesed. The value 1 of the letter aleph (\aleph) denotes the centre

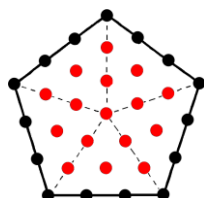


Figure 6. The number value **31** of the Godname EL is the number of yods in a pentagon. The number value **15** of the Godname YAH is the number of black yods on its sides.

of the pentagon and the value 30 of lamed (\daleth) denotes the 30 yods. **15** black yods lie on the sides of the pentagon, inside which are 16 red yods (Fig. 6).

Assigning the integers 1–**31** to the **31** yods, starting with 1 assigned to the central yod, the first 16 integers inside the pentagon add up to 136 and the next **15** integers 17–**31** assigned to yods on its sides add up to 360. This division is the counterpart of the **496** permutations (see the last row in Table 2). The interior of the pentagon generates the number of permutations of the 34 second & third rows and its boundary generates the number of permutations of the **15** sides of the first four enfolded polygons. Displayed here is a remarkable harmony of number and sacred geometry co-existing with an equally remarkable conjunction of theoretical physics (namely, the number **496**) and the paranormal observations of Besant & Leadbeater (namely, the number 336 — the number of circular turns in each revolution of a whorl of the UPA revealed by their micro-psi vision).

The 90 yods outside the root edge of the first four enfolded polygons comprise 13 corners of 17 tetractyses and 77 hexagonal yods. The first (4+4) enfolded polygons have (17+17=34) tetractyses with 184 yods made up of (13+13=26) corners outside the root edge and 156 hexagonal yods. **26** is the number value of YAHWEH, the Godname of Chokmah (Hebrew: YHVH), and 156 is the sum of the values of all combinations of the Hebrew letters of YHVH:

$$\begin{aligned} YHVH &= 26 \\ Y &= 10, H = 5, V = 6. \end{aligned}$$

$$\begin{aligned} Y + H + V &= 21; \\ YH + YV + VH + HH &= 52; \\ YHV + YHH + HVH &= 57; \\ YHVH &= 26. \end{aligned}$$

$$\text{Total} = 156.$$

(17+17=34) hexagonal yods are at the centres of the 34 tetractyses and (184–34=150=15×10) yods line their 61 sides, where **15** is the number value of YAH, the older Godname assigned to Chokmah. (150–4=146) yods line the 34 tetractyses outside the root edge. **73** yods outside the root edge line the 17 tetractyses in each set of four enfolded polygons. **73** is the number value of Chokmah. The first (4+4) enfolded Type A polygons have 34 sectors with 61 sides and 28 corners, i.e., 123 geometrical elements. This is the *tenth* Lucas number L_{10} , i.e., the tenth member of the Lucas series after the first one, $L_0 = 2$:

$$2, 1, 3, 4, 7, 11, 18, 29, 47, 76, 123, 199, 322, \dots$$

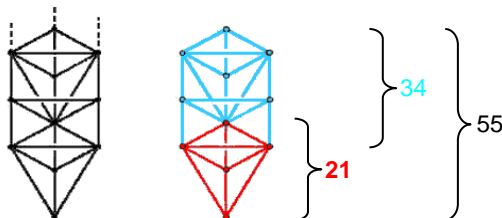
so that it is determined by the Decad (10). In terms of the Golden Ratio $\Phi = (1+\sqrt{5})/2$, the nth Lucas number $L_n = \Phi^n + (-\Phi)^{-n}$, so that:

$$123 = L_{10} = \Phi^{10} + \Phi^{-10}.$$

This is how the Golden Ratio and the Decad express the geometrical composition of the first (4+4)

Fibonacci (F_n) & Lucas numbers (L_n)

n	0	1	2	3	4	5	6	7	8	9	10
F _n	0	1	1	2	3	5	8	13	21	34	55
L _n	2	1	3	4	7	11	18	29	47	76	123



The lowest n Trees of Life (n-tree)

Number of vertices = $6n + 5$.
 Number of sides = $16n + 9$.
 Number of triangles = $12n + 7$.
 Number of geometrical elements $\equiv N(n) = 34n + 21$.
 $N(1) = 21 + 34 = 55 = F_{10}$.
 $N(2) = N(1) + 34 = 34 + 55 = 89 = F_{11}$.
 $N(3) = 34 + N(2) = 34 + 89 = 123 = L_{10}$.

Figure 7. The 3-tree is composed of 123 points, lines & triangles.

enfolded Type A polygons, each half of which embodies the third perfect number 496 at the heart of superstring theory! The second perfect number 28 also appears in them as the number of corners of their 34 sectors, whilst the first perfect number 6 is the number of corners of the hexagon, the fourth polygon.

The 3-tree (the lowest three Trees of four or more overlapping Trees of Life) also possesses 123 points, lines & triangles (Fig. 7). Article 32 [7] explains the significance of the 3-tree and its inner form as the Tree of Life map of the human skeleton and its acupuncture meridians.

120 geometrical elements are outside the root edge of the first (4+4) enfolded Type A polygons, where

$$120 = 2^2 + 4^2 + 6^2 + 8^2.$$

The Godname YAH with number value 15 prescribes not only the 15 sides of the first four enfolded polygons and the 15 corners of their 17 sectors but also these 120 geometrical elements because 120 is the 15th triangular number:

$$1 + 2 + 3 + 4 + \dots + 15 = 120.$$

The Decad also determines this number because it is the sum of the first ten odd integers after 1:

$$120 = 121 - 1 = 11^2 - 1 = 3 + 5 + 7 + 9 + 11 + 13 + 15 + 17 + 19 + 21.$$

See Article 8 [8] for a discussion of the properties of the first four polygons — both separate and enfolded — and their prescription by the Godnames of the 10 Sephiroth. The holistic nature of the first (4+4) enfolded polygons is proved in Article 48 [9].

References

1. For example, see: <http://smphillips.mysite.com/plato%27s-lambda-08.html>.
2. <http://smphillips.mysite.com/occult-chemistry-05.html>.
3. <http://smphillips.mysite.com/the-holistic-pattern.html>.
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